

What is claimed is:

1. A method for measuring an optical pulse comprising:
 - (a) filtering an optical pulse to obtain a frequency-filtered pulse, a transfer function for said frequency filtering being given;
 - (b) measuring a sonogram, which is defined as the intensity waveform of said frequency-filtered pulse, to obtain a measured sonogram; and
 - (c) reconstructing said optical pulse by using said measured sonogram and said transfer function.
2. The method as claimed in claim 1, said method including an optical pulse to be measured and a sampling pulse for cross-correlation with said optical pulse.
3. The method as claimed in claim 2, wherein the pulse width of said sampling pulse is much shorter than the pulse width of said optical pulse.
4. The method as claimed in claim 1, wherein the optical pulse is reconstructed by a predetermined formula, and said formula is given by the following:

$$s(t) = \frac{1}{2\pi s^*(0)} \int \frac{M(\theta, t)}{A_h(-\theta, t)} \exp(-j\theta t/2) d\theta$$

where $s(t)$ is the complex amplitude of said pulse, $M(\theta, t)$ is the characteristic function of the sonogram, and $A_h(-\theta, t)$ is the ambiguity function derived from the transfer function of the filter.

5. The method as claimed in claim 4, wherein said formula is derived from the following equations:

$$M(\theta, \tau) = \iint G(\omega, t) \exp(j\theta t + j\tau\omega) dt d\omega \quad ;$$

$$h(t) = \frac{1}{\sqrt{2\pi}} \int H(\omega) \exp(j\omega t) d\omega \quad ; \text{ and}$$

$$A_h(\theta, \tau) = \int h^* \left(t - \frac{1}{2}\tau \right) h \left(t + \frac{1}{2}\tau \right) \exp(j\theta t) dt$$

where $M(\theta, \tau)$ is the characteristic function of the sonogram $G(\theta, t)$, $h(t)$ is the inverse Fourier transform of the transfer function of the filter $H(\omega)$, and $A_h(\theta, \tau)$ is the ambiguity function of $h(t)$.

